

# Learning Map Sentences to Meaning

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# From Text to Meaning

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We want to build systems that recover meaning from text

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Increasingly Informative Meaning Representation

# From Text to Meaning

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We want to build systems that recover meaning from text

## Information Extraction

Recover information about pre-specified entities and relations



Increasingly Informative Meaning Representation

## Example Task

Relationship  
Extraction



**OBAMA is PRESIDENT**



# From Text to Meaning

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We want to build systems that recover meaning from text

## **Broad-coverage Semantics**

Focus on specific phenomena, e.g.  
matching verbs to their arguments

Increasingly Informative Meaning Representation

### **Example Task** Summarization



Us forces killed  
Osama Bin  
Laden in his  
compound in  
Abbottabad.

# From Text to Meaning

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We want to build systems that recover meaning from text

**Supervised Semantic Parsing**  
Recover Complete Meaning  
Representations

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Increasingly Informative Meaning Representation

**Example Task**  
Database Querying

**Question:**  
What states border texas?

Database

**Answer:**  
Oklahoma  
New Mexico  
Arkansas  
Louisiana

# Mapping Sentences to Meaning

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Texas borders Kansas.

# Mapping Sentences to Meaning

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Texas borders Kansas.

*next-to*(TEX, KAN)

# Mapping Sentences to Meaning

---

What states border Texas?

$\lambda x. state(x) \wedge next-to(x, TEX)$



# Mapping Sentences to Meaning

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What states border Texas?

$\lambda x. state(x) \wedge next-to(x, TEX)$

## Machine Learning Problem

**Given:** Many input, output pairs

**Learn:** A function that maps sentences to lambda-calculus expressions

# More Examples

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Input: What is the largest state?

Output:  $\text{argmax}(\lambda x. \text{state}(x), \lambda y. \text{size}(y))$

Input: What states border the largest state?

Output:  $\lambda z. \text{state}(z) \wedge \text{borders}(z, \text{argmax}(\lambda x. \text{state}(x), \lambda y. \text{size}(y)))$

Input: What states border states that border states ... that border Texas?

Output:  $\lambda x. \text{state}(x) \wedge \exists y. \text{state}(y) \wedge \exists z. \text{state}(z) \wedge \dots \wedge \text{borders}(x, y) \wedge \text{borders}(y, z) \wedge \text{borders}(z, \text{texas})$

# Many Potential Applications

---

**This talk:** Natural language interfaces to databases

> What states border Texas?

[Louisiana, Arkansas, Oklahoma, New Mexico]

> Which is the largest?

[New Mexico]

> List the rivers that run through it.

[...]

# Many Potential Applications

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**This talk:** Natural language interfaces to databases

> What states border Texas?

[Louisiana, Arkansas, Oklahoma, New Mexico]

> Which is the largest?

[New Mexico]

> List the rivers that run through it.

[...]

**Soon:** Conversational systems

**Long Term:** Machine translation, Document understanding

# Why Machine Learning?

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## Need to analyze complex sentences:

- show me all flights both direct and connecting to either san francisco or oakland from boston that arrive before 2pm
- where does delta fly to that american doesn't
- which airline has more business class flights than any other airline
- eastern flies from atlanta to denver what type of aircraft do you use before 6pm

# Why Machine Learning?

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## Need to analyze complex sentences:

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- where does delta fly to that american doesn't
- which airline has more business class flights than any other airline
- eastern flies from atlanta to denver what type of aircraft do you use before 6pm

## Traditional Approach: hand-engineered systems

- Many person-years spent on each application

## Machine Learning: only need training data

- Techniques apply across applications

# A Challenge: Structured Input, Output

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**Machine Learning:** Input  $X$  and Output  $Y$

- given training data, a set of pairs  $(x, y), x \in X, y \in Y$
- find a function  $f : X \rightarrow Y$

# A Challenge: Structured Input, Output

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**Binary classification:**  $x \in \mathbb{R}^d, y \in \{-1, +1\}$



# A Challenge: Structured Input, Output

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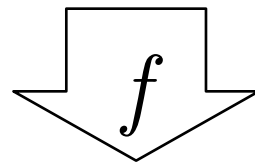
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**Binary classification:**  $x \in \mathbb{R}^d, y \in \{-1, +1\}$

**This talk:**  $x$  is a sentence,  $y$  is a lambda-calculus expression

what states border texas



$\lambda x. state(x) \wedge next-to(x, TEX)$

**Key Challenge:** outputs have rich structure (lambda-calculus)

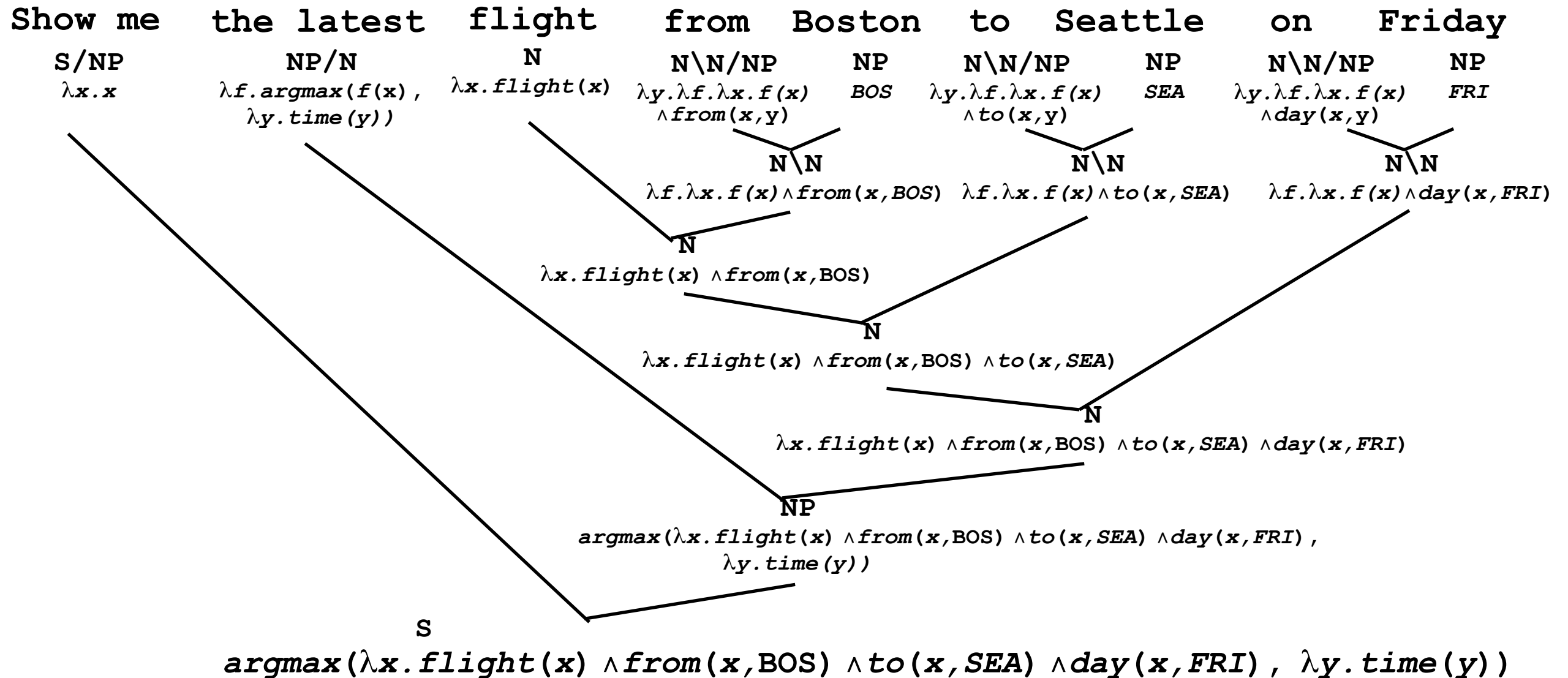
# A Challenge: Learning Hidden Structure

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Approach 1. Fully annotated training examples (parse trees):

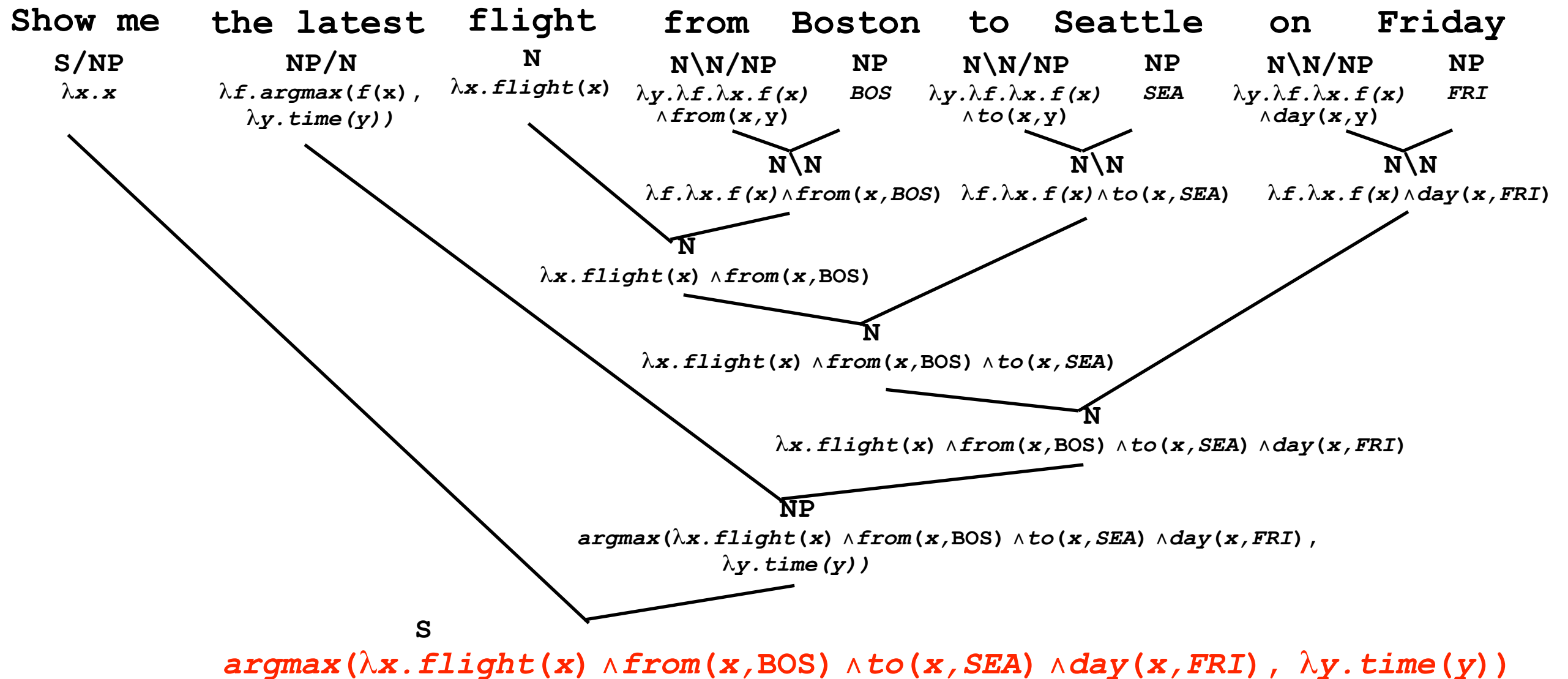
# A Challenge: Learning Hidden Structure

## Approach I. Fully annotated training examples (parse trees):



# A Challenge: Learning Hidden Structure

**Our approach.** Only requires annotations of final meanings

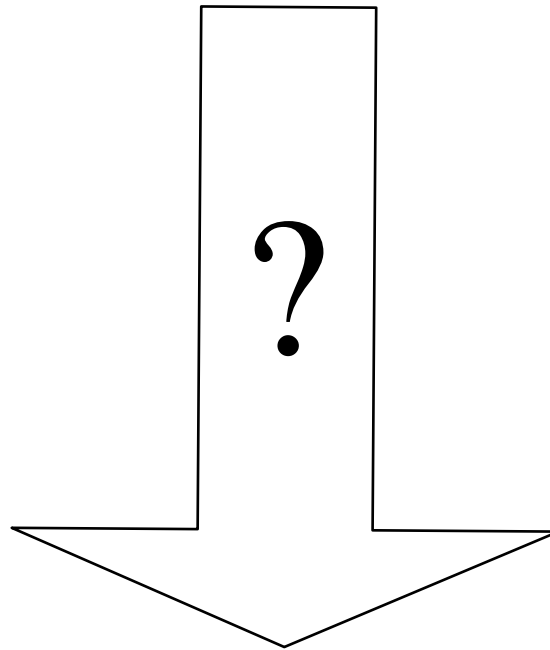


# A Challenge: Learning Hidden Structure

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**Our approach.** Only requires annotations of final meanings

Show me the latest flight from Boston to Seattle on Friday



$\text{argmax}(\lambda x. \text{flight}(x) \wedge \text{from}(x, \text{BOS}) \wedge \text{to}(x, \text{SEA}) \wedge \text{day}(x, \text{FRI}), \lambda y. \text{time}(y))$

# Talk Outline

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Learning to map sentences to meaning:

- Representing and recovering meaning
- An example supervised learning algorithm
- Other problems: interpreting instructions, grounding, task-oriented dialog, talking to robots

# Combinatory Categorical Grammars (CCG)

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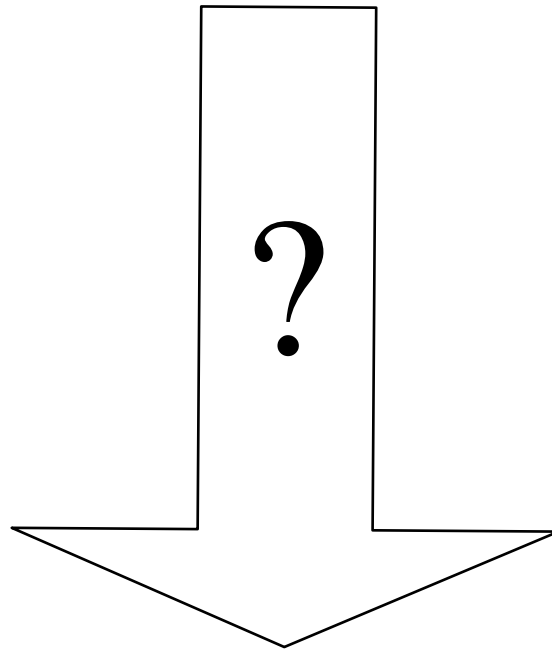
We will learn a linguistically-plausible CCG grammar:

- mildly context-sensitive formalism
- explains a wide range of linguistic phenomena: coordination, long distance dependencies, etc.
- joint model of syntax and semantics
- statistical parsing algorithms exist

# Compositional Semantics

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The Mississippi traverses Texas



*runs-through (MISS-RIV, TEX)*



# Compositional Semantics

---

The Mississippi

*MISS-RIV*

traverses

$\lambda x.\lambda y.runs-through(y, x)$

Texas

*TEX*

# Compositional Semantics

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$\lambda y. \text{runs-through}(y, \text{TEX})$

# Compositional Semantics

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The Mississippi

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$\lambda x. \lambda y. \text{runs-through}(y, x)$

Texas

*TEX*

$\lambda y. \text{runs-through}(y, \text{TEX})$

$\text{runs-through}(\text{MISS-RIV}, \text{TEX})$

# Combinatory Categorical Grammar (CCG)

---

The Mississippi

NP

*MISS-RIV*

traverses

(S\NP) / NP

$\lambda x. \lambda y. runs-through(y, x)$

Texas

NP

*TEX*

# Combinatory Categorical Grammar (CCG)

---

The	Mississippi	traverses	Texas
NP	(S\NP) / NP	NP	
<i>MISS-RIV</i>	$\lambda x. \lambda y. runs-through(y, x)$	<i>TEX</i>	

# Combinatory Categorical Grammar (CCG)

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The Mississippi

NP

*MISS-RIV*

traverses

(S\NP) / NP

$\lambda x. \lambda y. \text{runs-through}(y, x)$

Texas

NP

*TEX*



# Combinatory Categorical Grammar (CCG)

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The Mississippi

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*MISS-RIV*

traverses

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$\lambda x. \lambda y. \text{runs-through}(y, x)$

Texas

NP

*TEX*

# Combinatory Categorical Grammar (CCG)

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The Mississippi

NP

*MISS-RIV*

traverses

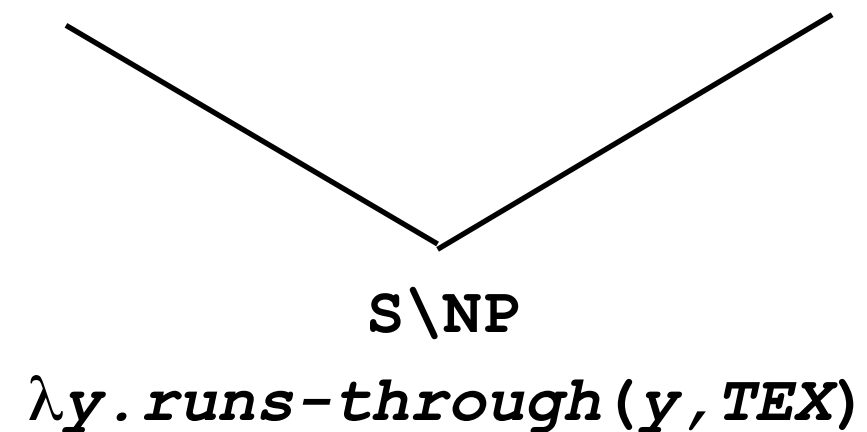
$(S \backslash NP) / NP$

$\lambda x. \lambda y. runs-through(y, x)$

Texas

NP

*TEX*



# Combinatory Categorical Grammar (CCG)

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The Mississippi

NP

*MISS-RIV*

traverses

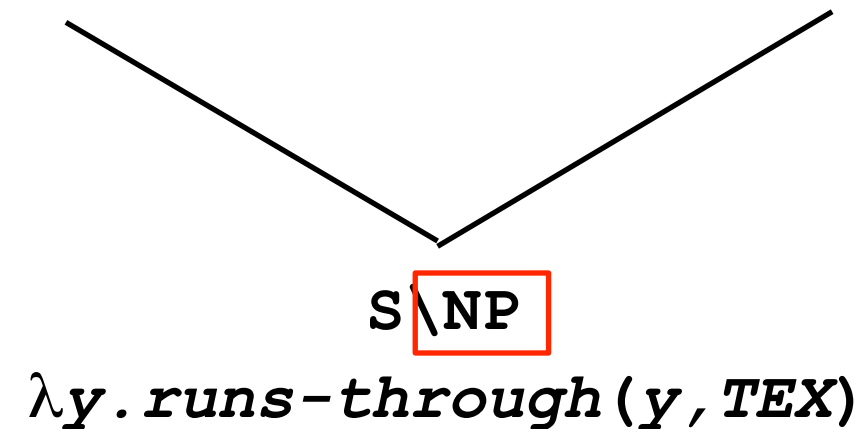
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Texas

NP

*TEX*



# Combinatory Categorical Grammar (CCG)

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The Mississippi

NP

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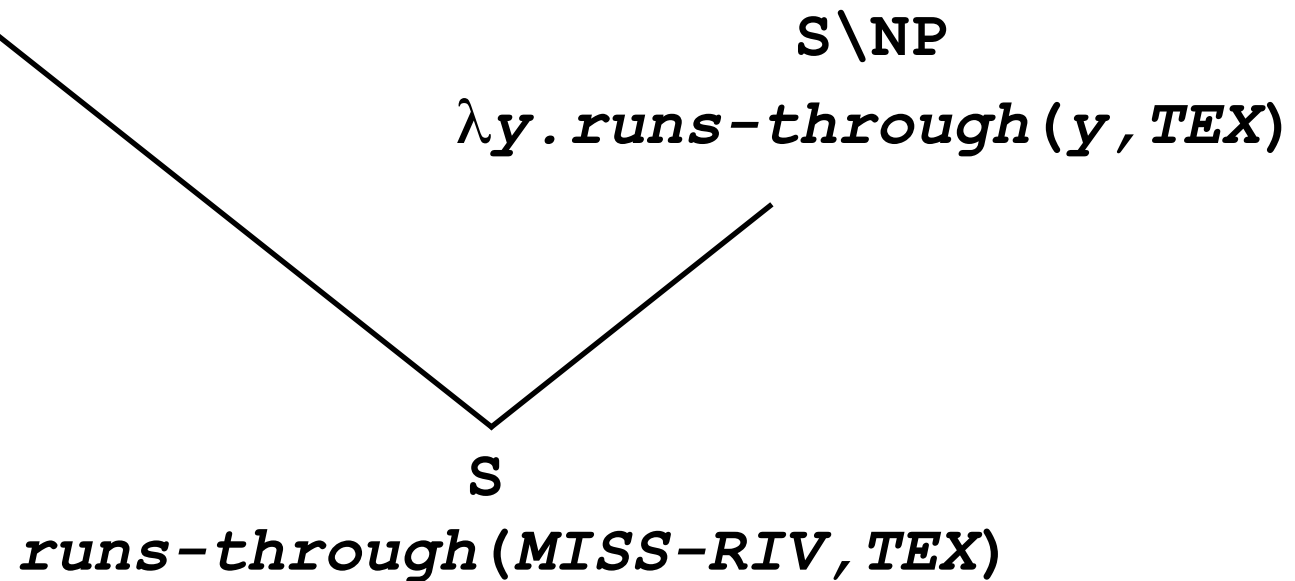
$(S \backslash NP) / NP$

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Texas

NP

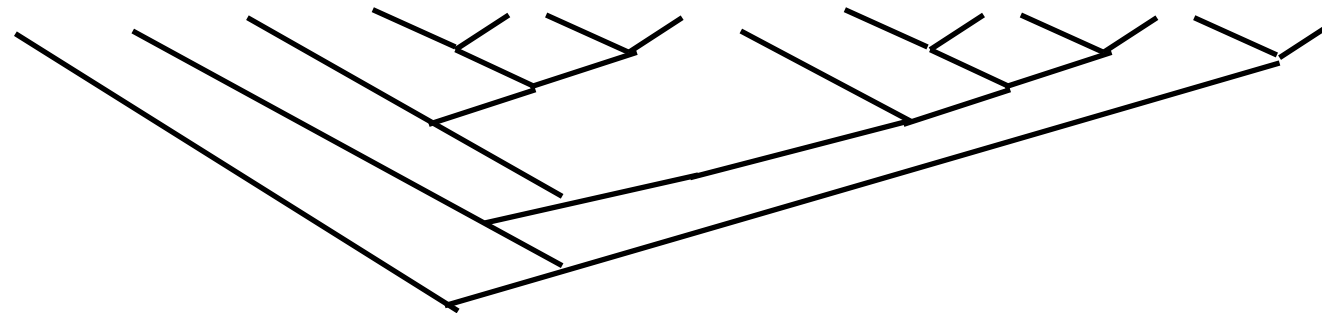
*TEX*



# Models Complex Linguistic Effects

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Show me flights from Newark and New York to San Francisco or Oakland that are nonstop.


$$\lambda x. flight(x) \wedge nonstop(x) \wedge$$
$$(from(x, NEW) \vee from(x, NYC)) \wedge$$
$$(to(x, SFO) \vee to(x, OAK))$$

# Many Meanings: Lexical Ambiguity

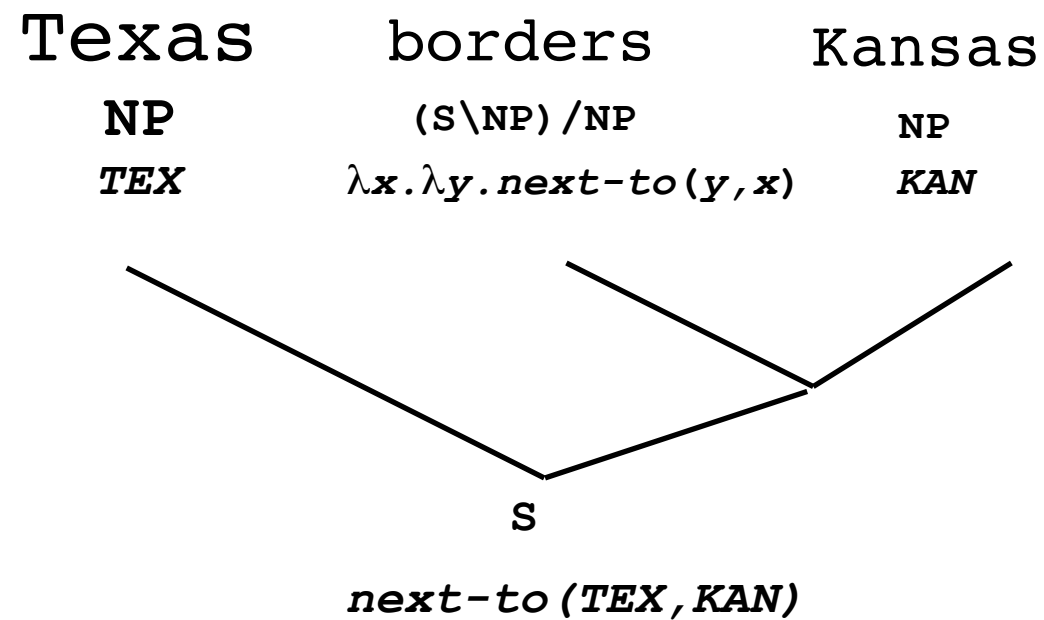
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Texas borders Kansas

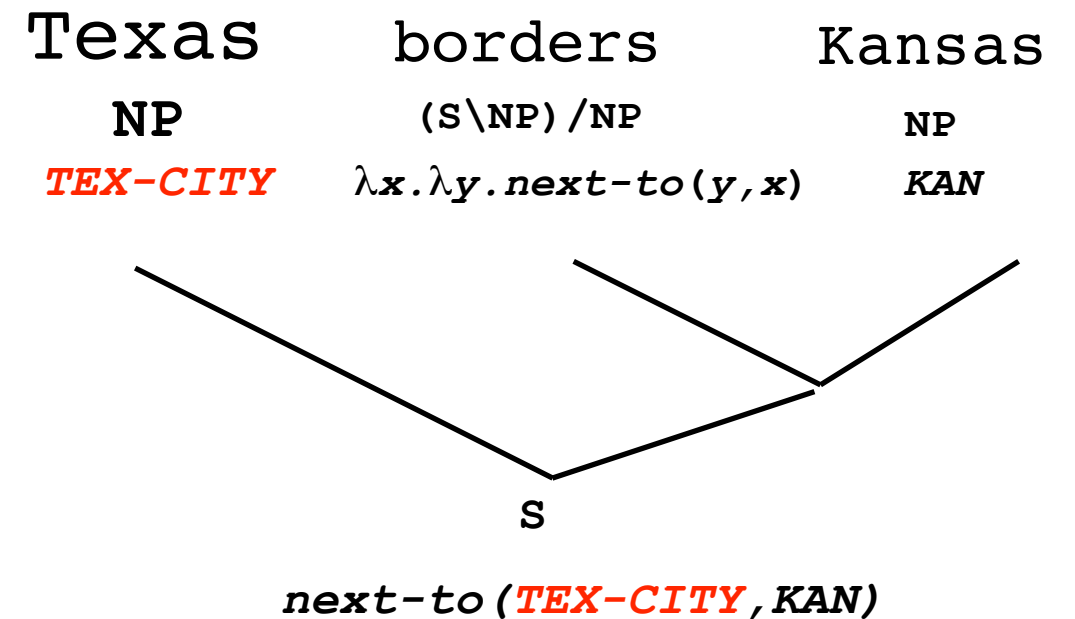
# Many Meanings: Lexical Ambiguity

---

Texas borders Kansas



or



# Many Meanings: Structural Ambiguity

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flights from Newark or from New York  
that are nonstop

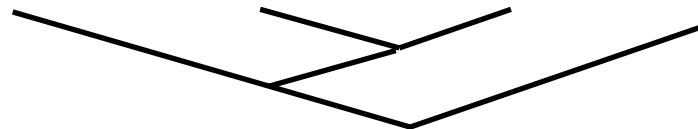


# Many Meanings: Structural Ambiguity

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flights from Newark or from New York  
that are nonstop

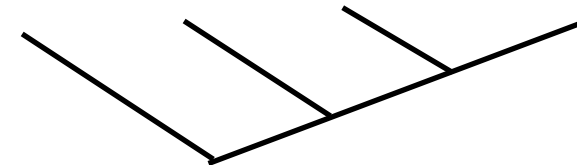
[[flights from Newark or from New York] that  
are nonstop]



$\lambda x. flight(x) \wedge nonstop(x) \wedge$   
 $(from(x, NEW) \vee from(x, NYC))$

[flights from Newark or [from New York that  
are nonstop]]

or



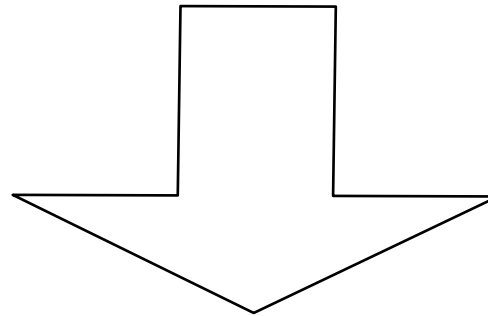
$\lambda x. flight(x) \wedge (from(x, NEW) \vee$   
 $(from(x, NYC) \wedge nonstop(x)))$

# A Supervised Learning Problem

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Training Examples:

What states border Texas?  
 $\lambda x. state(x) \wedge next-to(x, TEX)$



A function  $f$  that maps sentences to meaning.

# A Multilingual Learning Algorithm

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Key challenge: learn from data with different natural languages and meaning representations

English, logical-form:

NL: `what states border texas`

MR:  $\lambda x. state(x) \wedge next\_to(x, tex)$

Turkish, functional query language:

NL: `texas a siniri olan eyaletler nelerdir`

MR: `answer(state(next_to_2(stateid tex)))`

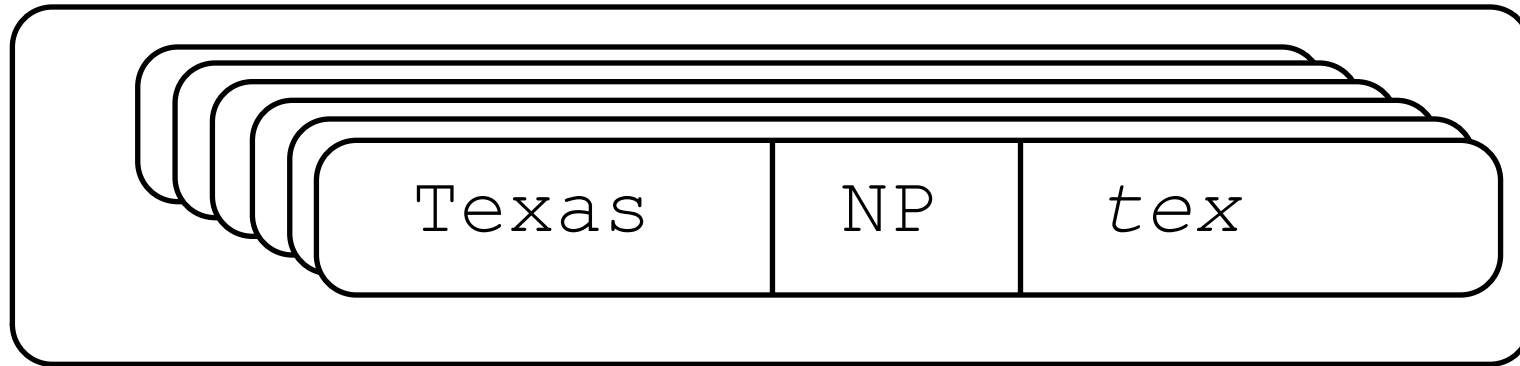
# Will Lean: Probabilistic CCG

---

Lexicon:

Parameters:

$\Lambda =$

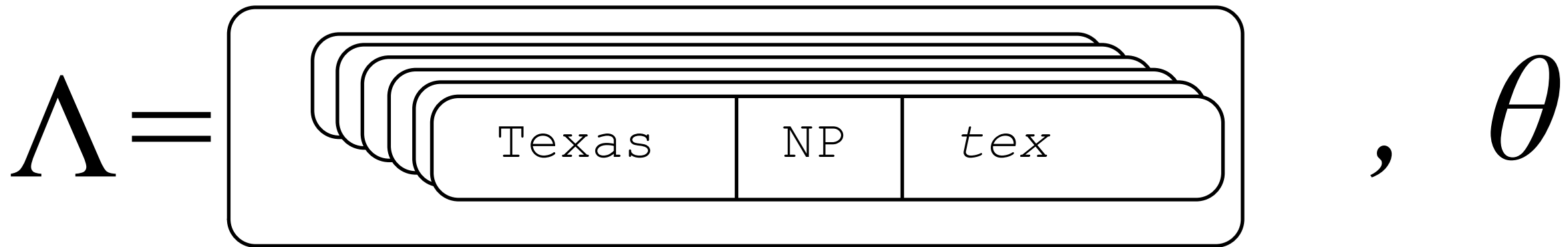


,  $\theta$

# Will Lean: Probabilistic CCG

Lexicon:

Parameters:



Probability distribution: sentence  $x$ , parse  $y$ , logical form  $z$

- Log-linear model:

$$P(y, z|x; \theta, \Lambda) = \frac{e^{\theta \cdot \phi(x, y, z)}}{\sum_{(y', z')} e^{\theta \cdot \phi(x, y', z')}}$$

- Parsing:

$$f(x) = \arg \max_z p(z|x; \theta, \Lambda)$$

where 
$$p(z|x; \theta, \Lambda) = \sum_y p(y, z|x; \theta, \Lambda)$$

# Splitting lexical items

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## Initial, Fully Specified Lexical Entries:

`what states border texas := S :  $\lambda x.state(x) \wedge next-to(x, tex)$`

# Splitting lexical items

---

## Initial, Fully Specified Lexical Entries:

what states border texas := S :  $\lambda x.state(x) \wedge next-to(x, tex)$

## Will need to split:

what states := S/(S|NP) :  $\lambda f.\lambda x.state(x) \wedge f(x)$   
border texas := S|NP :  $\lambda x.next-to(x, tex)$

# Splitting lexical items

---

## Initial, Fully Specified Lexical Entries:

what states border texas := S :  $\lambda x.state(x) \wedge next-to(x, tex)$

## Will need to split:

what states := S/(S|NP) :  $\lambda f.\lambda x.state(x) \wedge f(x)$   
border texas := S|NP :  $\lambda x.next-to(x, tex)$

## Challenge:

Do not have a-priori knowledge of how words align with meaning

texas a siniri olan eyaletler nelerdir :=  
S :  $\lambda x.state(x) \wedge next-to(x, tex)$

**Algorithm will run on all languages!**



# Splitting logical forms

---

Solve a higher-order unification problem [Huet 75]

For logical meaning  $h$  find all pairs  $(f, g)$  such that:

$$\begin{array}{ll} h = f(g) , & \text{or} \quad \text{- application} \\ h = \lambda x.f(g(x)) & \text{- composition} \end{array}$$

$$h = \lambda x.state(x) \wedge next\_to(x, tex)$$

$$f = \lambda q \lambda x.q(x)$$

$$g = \lambda x.state(x) \wedge next\_to(x, tex)$$

$$f = \lambda q \lambda x.q(x) \wedge next\_to(x, tex)$$

$$g = \lambda x.state(x)$$

$$f = \lambda q \lambda x.state(x) \wedge q(x)$$

$$g = \lambda x.next\_to(x, tex)$$

$$f = \lambda y \lambda x.state(x) \wedge next\_to(x, y)$$

$$g = tex$$

$$f = \lambda q.q$$

$$g = \lambda x.state(x) \wedge next\_to(x, tex)$$

# Splitting lexical items

---

*what*  $\vdash S/(S|NP) : \lambda x \lambda y. x(y)$   
*what states*  $\vdash S/(S|NP) : \lambda x \lambda y. x(y)$   
*what states border*  $\vdash S/(S|NP) : \lambda x \lambda y. x(y)$   
*what*  $\vdash S|NP : \lambda x \text{state}(x) \wedge \text{next.to}(x \text{ tex})$   
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*what*  $\vdash NP : \text{tex}$   
*what states*  $\vdash NP : \text{tex}$   
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*states border texas*  $\vdash S|NP : \lambda x \text{state}(x) \wedge \text{next.to}(x \text{ tex})$   
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*texas*  $\vdash S|NP : \lambda x \text{state}(x) \wedge \text{next.to}(x \text{ tex})$   
*states border texas*  $\vdash S \setminus (S|NP) : \lambda x \lambda y. x(y)$   
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*texas*  $\vdash S \setminus NP : \lambda x \lambda y. \text{state}(y) \wedge \text{next.to}(y x)$

# Two Step Learning Algorithm

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Input:

Set of (sentence, meaning) pairs

Iterate:

For each (sentence, meaning) pair

1. Add items to CCG lexicon
2. Update parameters of parsing model

By interleaving step 1 with step 2 we can use the parsing model to guide lexical expansion

# Trace of Learning Algorithm

---

Iteration: 1

Training pair:  $(x_n, z_n)$

1. Find highest scoring correct parse.
2. Find split, of any node, that most increases the score.
3. Add resultant items to lexicon.
4. Update parameters.

S

|

```
texas a siniri olan eyaletler nelerdir  
 $\lambda x.state(x) \wedge next-to(x, tex)$ 
```

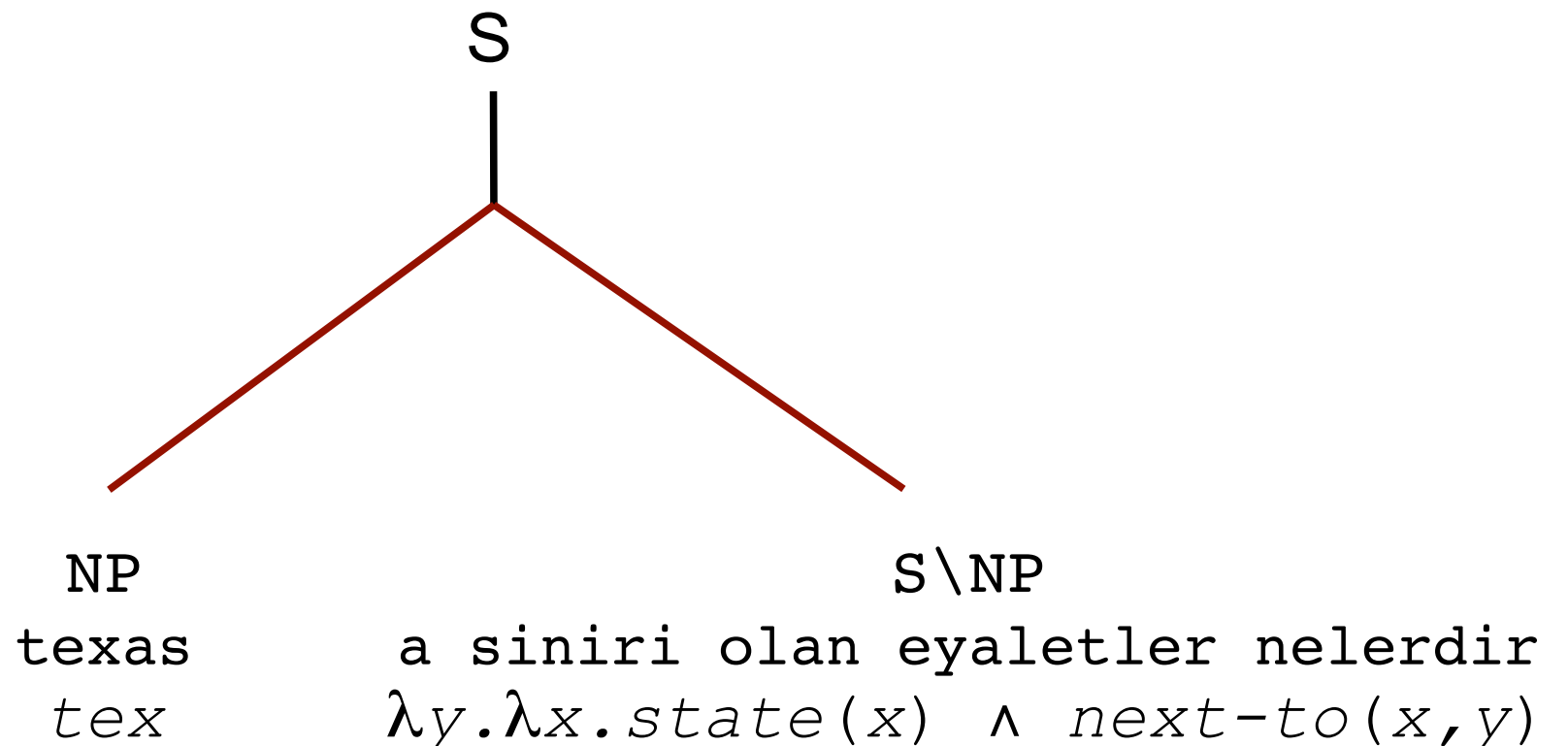
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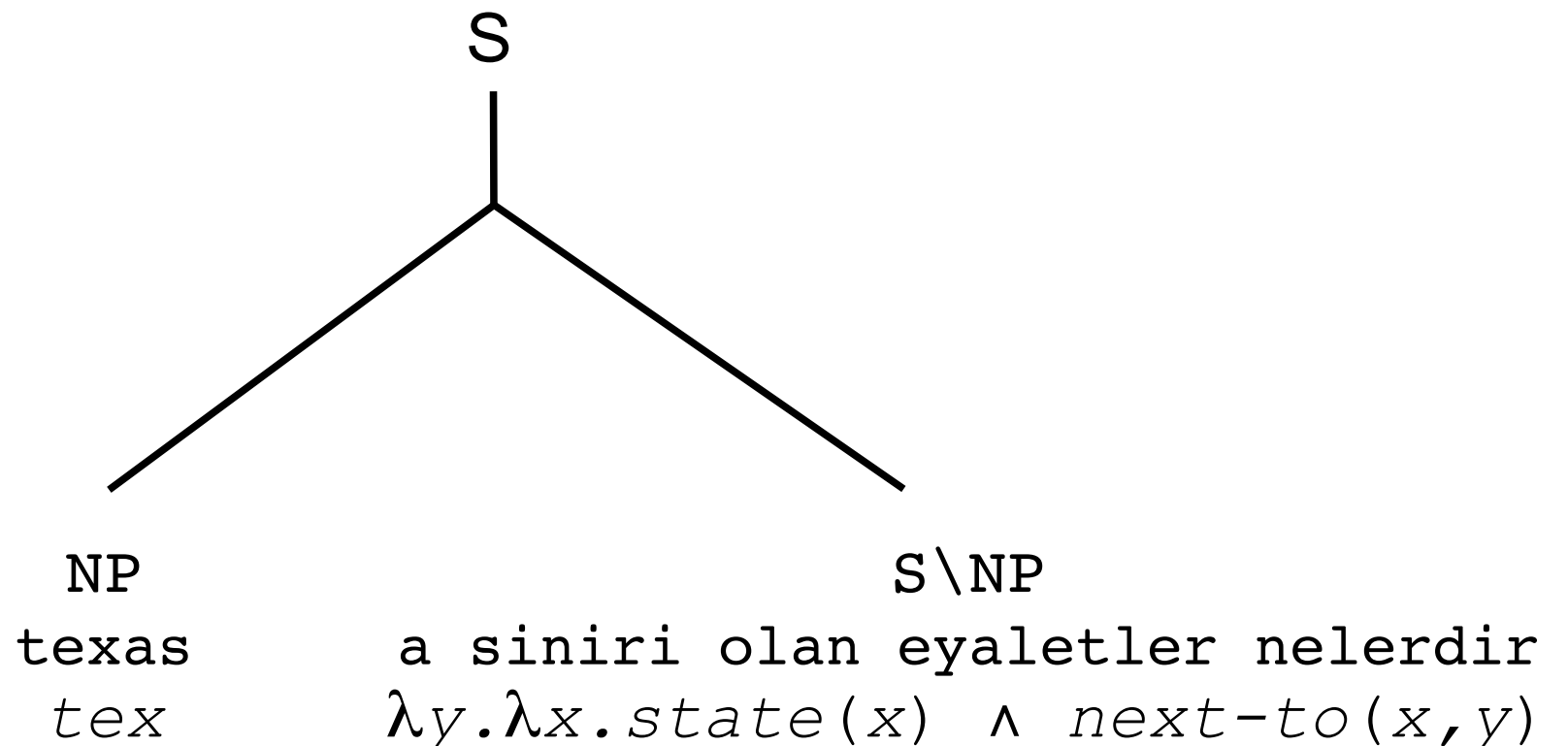
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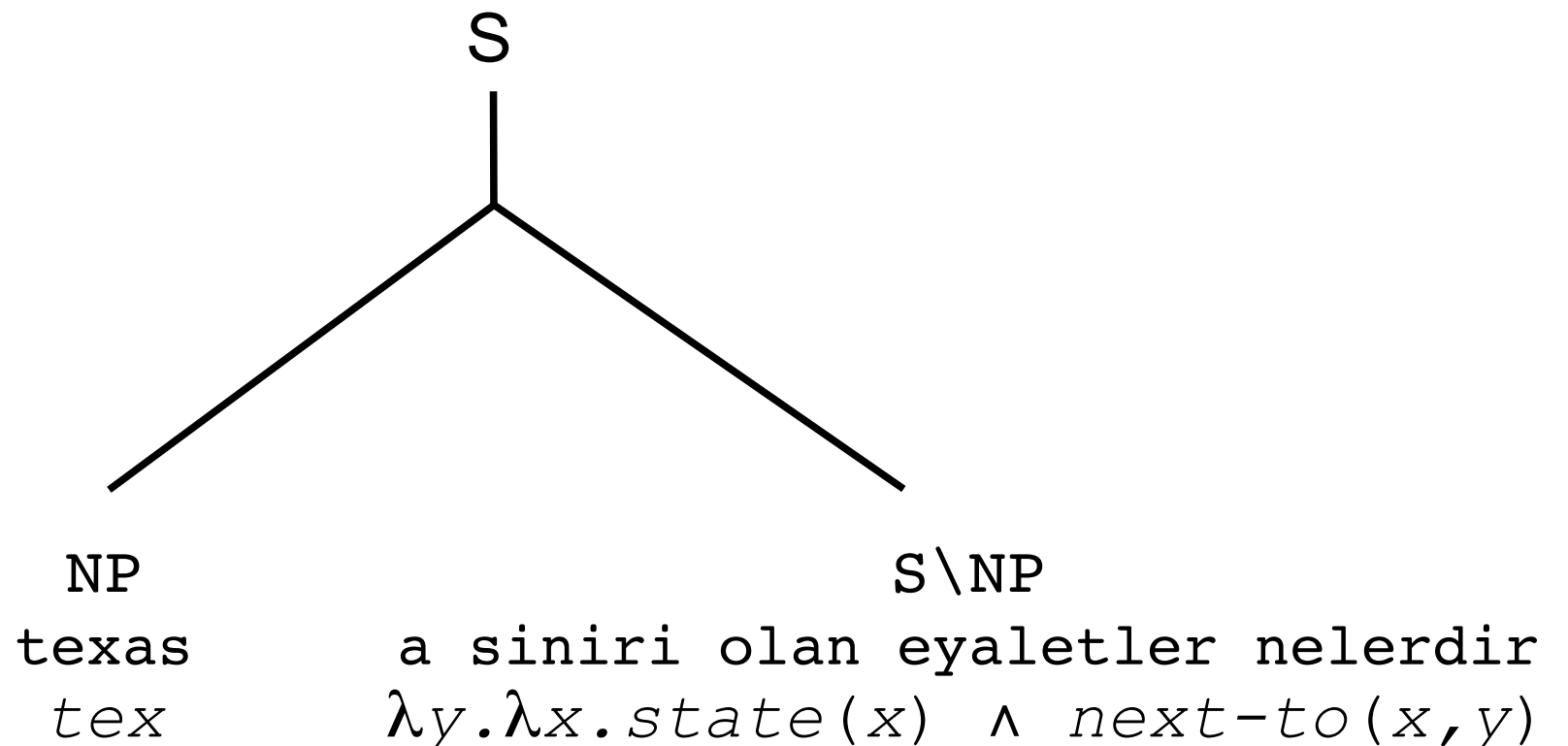
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3. Add resultant items to lexicon.
4. Update parameters.



$$\frac{\partial O_i}{\partial \theta_j} = E_{p(y|x_i, z_i; \theta, \Lambda)}[\phi_j(x_i, y, z_i)] - E_{p(y, z|x_i; \theta, \Lambda)}[\phi_j(x_i, y, z)]$$

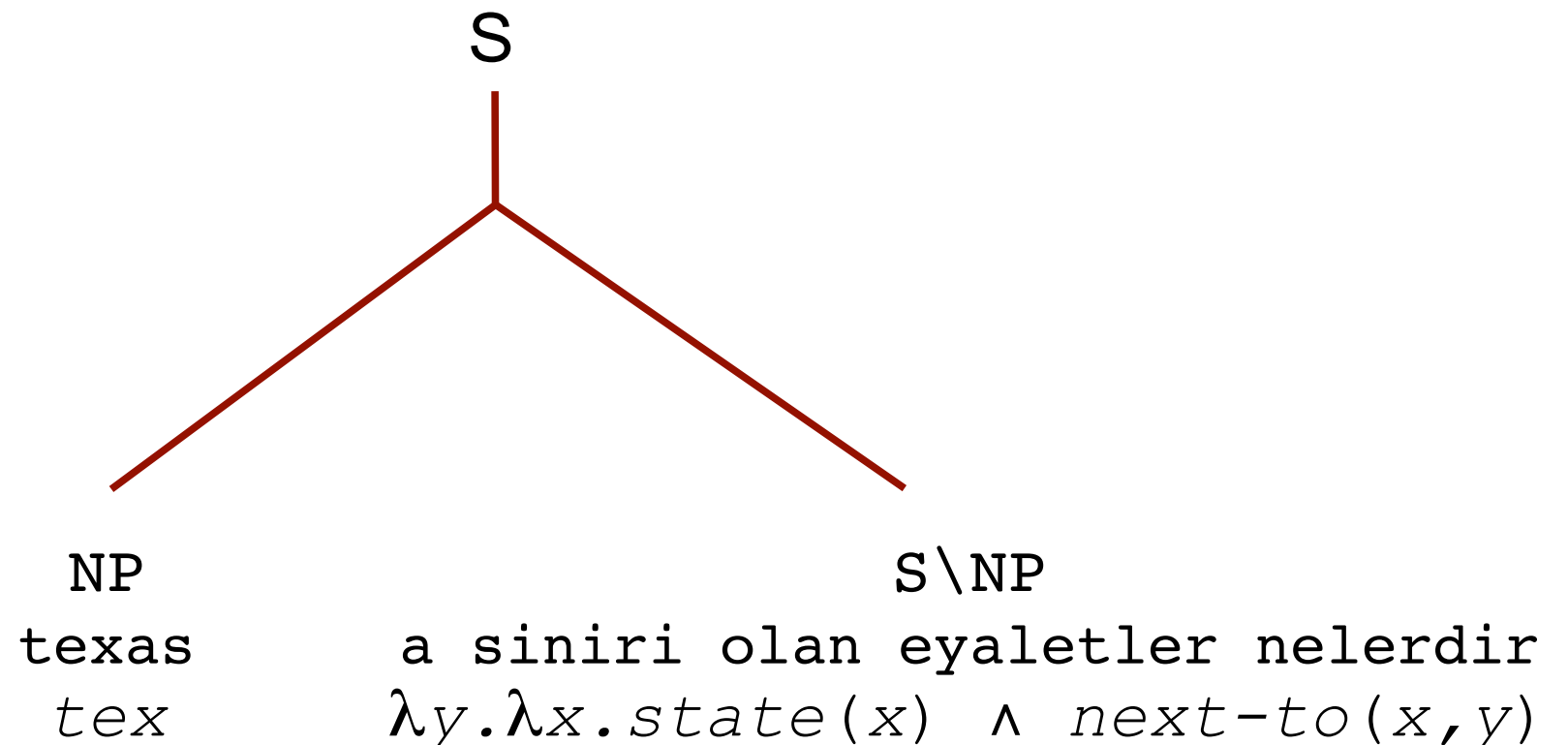
# Trace of Learning Algorithm

---

Iteration: **2**

Training pair:  $(x_n, z_n)$

1. Find highest scoring correct parse.
2. Find split, of any node, that most increases the score.
3. Add resultant items to lexicon.
4. Update parameters.





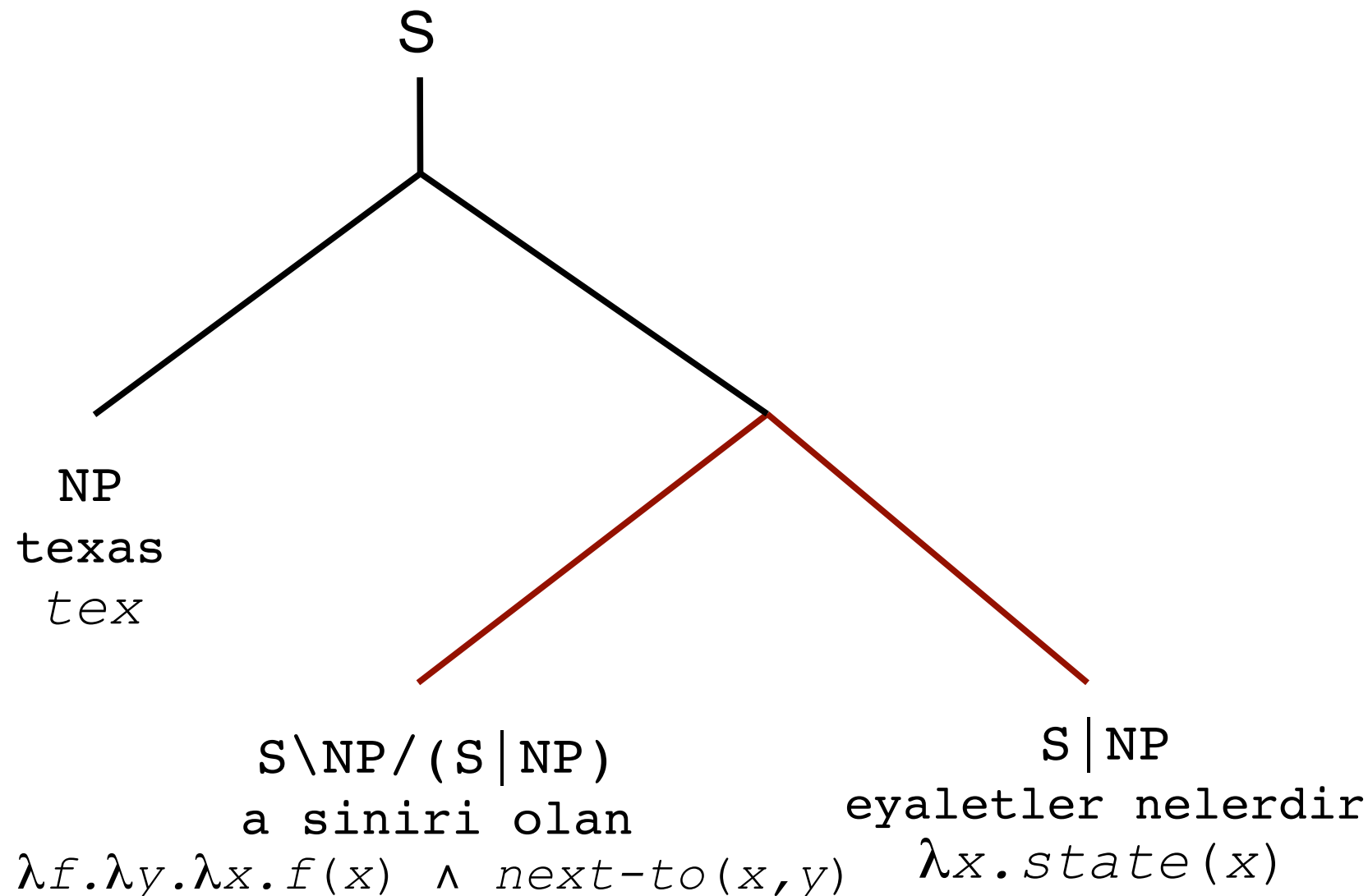
# Trace of Learning Algorithm

---

Iteration: **2**

Training pair:  $(x_n, z_n)$

1. Find highest scoring correct parse.
2. Find split, of any node, that most increases the score.
3. Add resultant items to lexicon.
4. Update parameters.

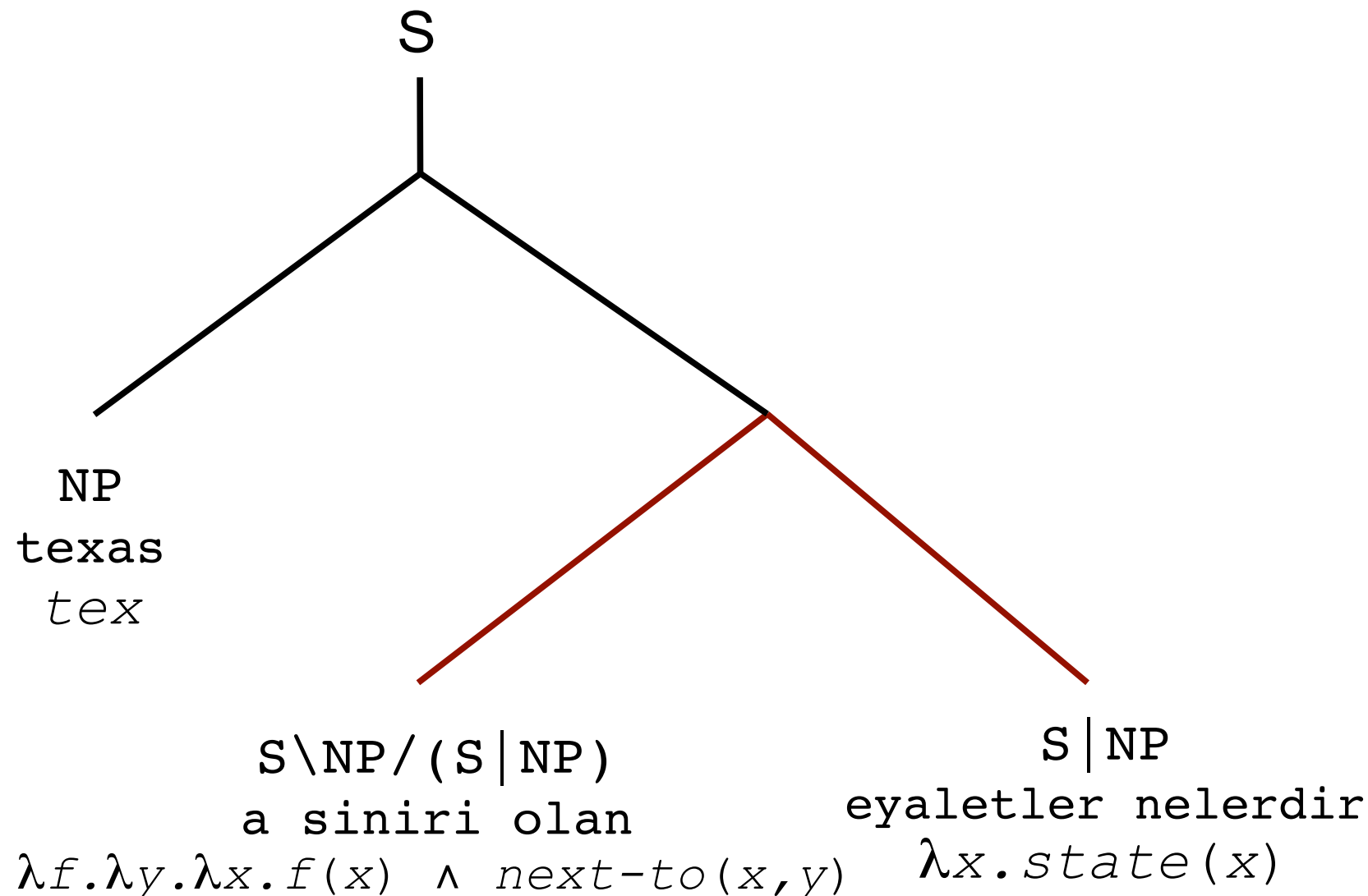


# Trace of Learning Algorithm

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# Results on an English Benchmark

---

## Accuracy (% correct)

FOPL		FunQL	
UBL	<b>87.9</b>	UBL	<b>84.3</b>
$\lambda$ -WASP	86.6	WASP	74.8
ZC05	79.3	Lu08	81.5
ZC07	86.1	KRISP	71.7

[ Kwiatkowski et al. 2010 ]

# Results Across Languages

---

## Accuracy (% correct)

	FOPL		FunQL		
	UBL	$\lambda$ -WASP	UBL	WASP	Lu08
English	<b>81.8</b>	75.6	<b>80.4</b>	70.0	72.8
Spanish	<b>81.4</b>	80.0	<b>79.7</b>	72.4	79.2
Japanese	<b>83.0</b>	81.2	<b>80.5</b>	74.4	76.0
Turkish	<b>71.8</b>	68.8	<b>74.2</b>	62.4	66.8

[ Kwiatkowski et al. 2010 ]

# Example Test Parses

---

which rivers run through states that border the state with the capital austin

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 $\lambda x. state(x) \wedge capital(x, austin)$

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$\lambda y. state(y) \wedge$   
 $next-to(y, \iota x. state(x) \wedge capital(x, austin))$

---

S

$\lambda z. river(z) \wedge \exists y. state(y) \wedge loc(z, y) \wedge$   
 $next-to(y, \iota x. state(x) \wedge capital(x, austin))$



# Learning Summary

---

Show me flights from Newark and New York to San Francisco or Oakland that are nonstop.

$$\lambda x. flight(x) \wedge nonstop(x) \wedge (from(x, NEW) \vee from(x, NYC)) \wedge (to(x, SFO) \vee to(x, OAK))$$

## Challenges:

- Structured input and output, hidden structure not annotated

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## Challenges:

- Structured input and output, hidden structure not annotated

## Solution:

- Machine learning combined with a detailed linguistic formalism
- **Key idea 1:** an algorithm that generates lexical items with higher-order unification
- **Key idea 2:** a learning method that estimates a probabilistic model to select a sparse sub-set of the possible lexical entries

# Previous Work: Spontaneous, Unedited Input

---

Boston to Seattle the latest on Friday.

$$\operatorname{argmax}(\lambda x. \text{from}(x, \text{BOS}) \wedge \text{to}(x, \text{SEA}) \wedge \text{day}(x, \text{FRI}), \\ \lambda y. \text{time}(y))$$

**A challenge:** grammar-based approaches may not be robust to “real world” input

**Key idea:** learn a relaxed grammar that models disfluencies

[Zettlemoyer & Collins, 2007; Kwiatkowski et al. 2011]

# Previous Work: Context-dependent

---

Show me flights from New York to Singapore.

$\lambda x. flight(x) \wedge from(x, NYC) \wedge to(x, SIN)$

Which of those are nonstop?

$\lambda x. flight(x) \wedge from(x, NYC) \wedge to(x, SIN) \wedge nonstop(x)$

Show me the cheapest one.

$argmax(\lambda x. flight(x) \wedge from(x, NYC) \wedge to(x, SIN) \wedge nonstop(x),$   
 $\lambda y. cost(y))$

What about connecting?

$argmax(\lambda x. flight(x) \wedge from(x, NYC) \wedge to(x, SIN) \wedge connect(x),$   
 $\lambda y. cost(y))$

# Current Work: Self-learning dialog systems

---

Challenge: system must learn from its mistakes

**USER:** i would like to fly from atlanta georgia to london england on september twenty fourth in the early evening I would like to return on october first departing from london in the late morning

**SYSTEM:** leaving what city? (*ASK: $\lambda x$ .from(fl, x)*)

**USER:** atlanta georgia.

**SYSTEM:** leaving atlanta. (*CONF:from(fl,ATL)*) going to which city ?  
(*ASK: $\lambda x$ .to(fl, x)*)

**USER** london

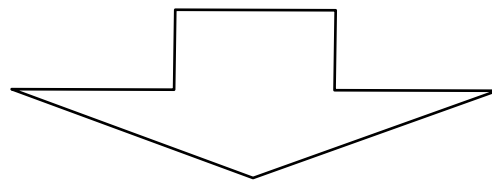
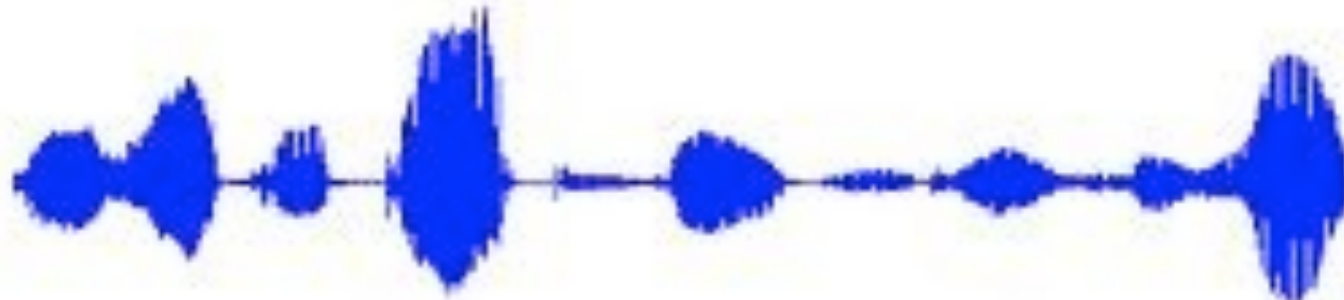
**SYSTEM:** arriving in (*CONF:to(fl, LON)*) what date would to depart Atlanta? (*ASK: $\lambda x$ .from(fl, ATL) \wedge depart-date(fl, x)*)

**USER** september twenty fourth in the early evening

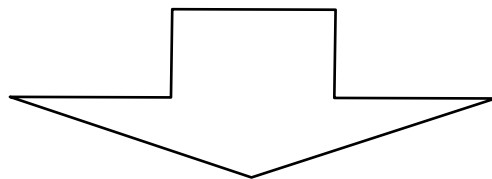
[conversation continues]

# Future: Mapping Speech to Logical Form

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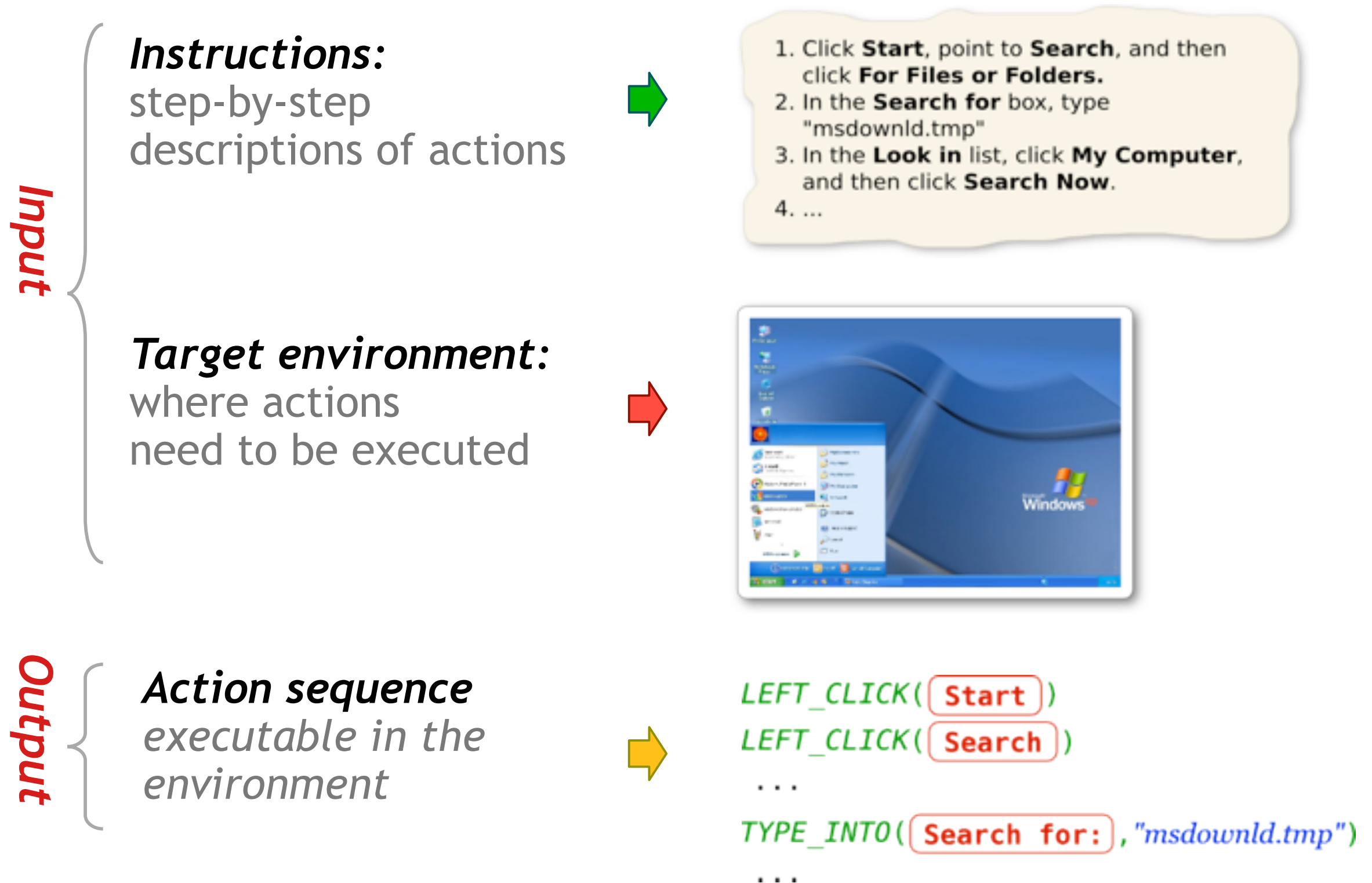


Uh, flights New York to Singapore, sure



ACCEPT:  $\lambda x. flight(x) \wedge from(x, NYC) \wedge to(x, SIN)$

# Previous Work: Mapping Instructions to Actions



# Current Work: Learning Grounded Language

Challenge: Learn to sportscast,  
given only text and the game log

Purple10 is rushing down the  
field with only three  
defenders

Purple10 passes out front to  
Purple9 near the side

Purple9 passes back to Purple10  
in the middle

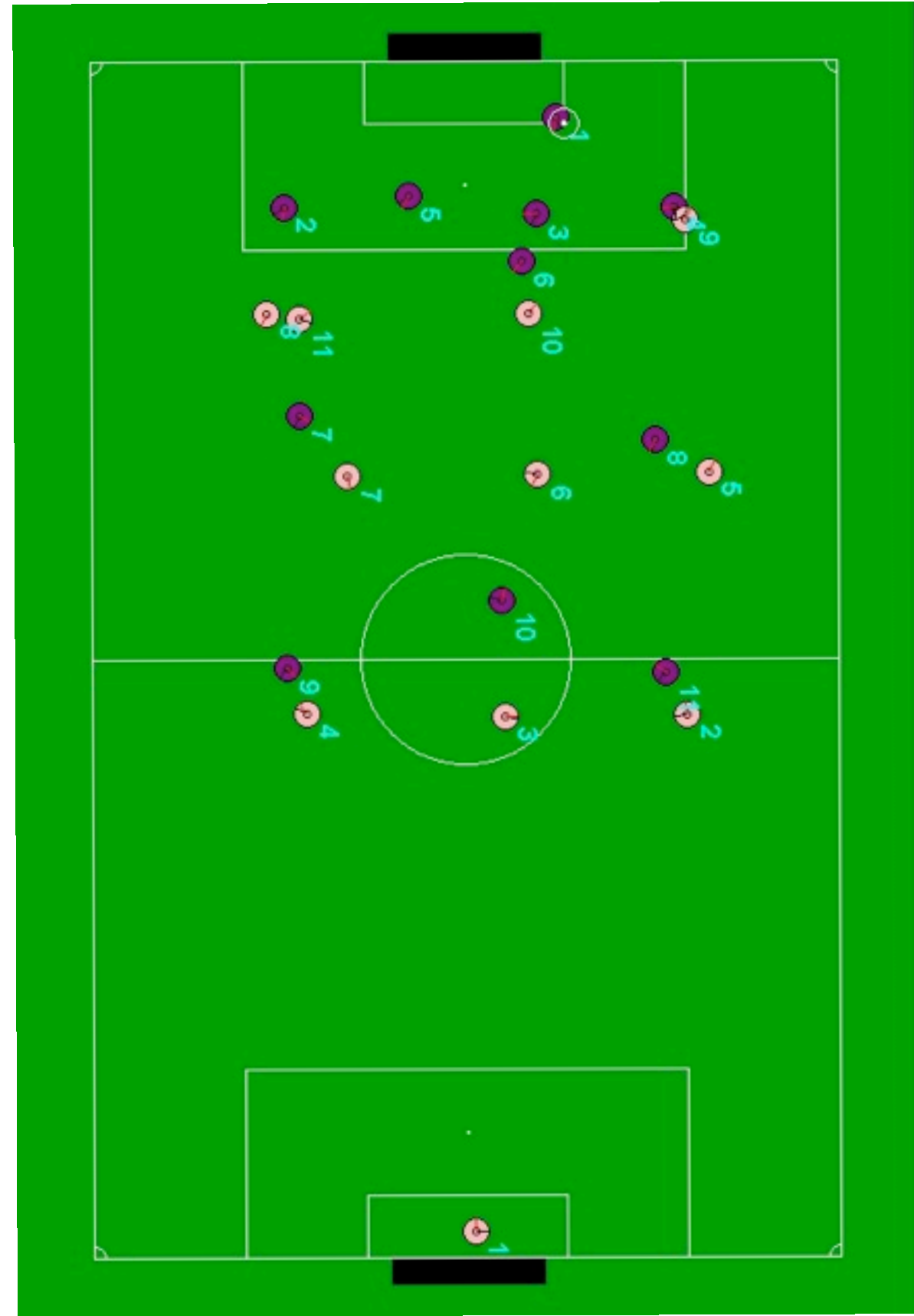
Purple10 again has a good chance  
to score a goal here

Purple10 dribbles toward the  
goal

Pink3 tries to stay in front of  
Purple10

Purple10 passes to Purple9 on  
the side while getting open

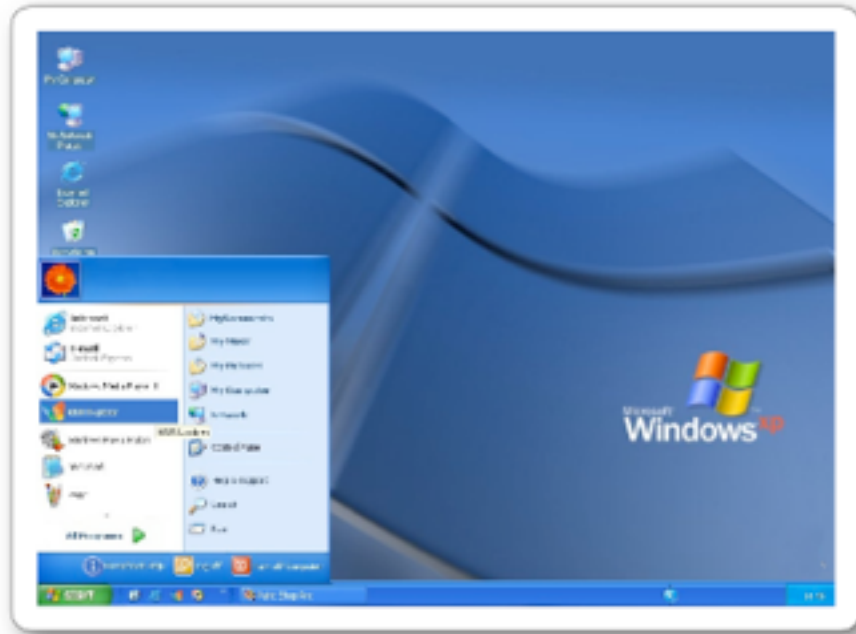
....





# Future: General language use in grounded settings

Conversational interaction in simulated environments:



- Can gather user input: *Which printer do you want to use?*
- Can help with learning: *Can you show me how to X?*

Learning through explanation in robotic environments:



- Can we teach the robot to play?
- *This is a pawn.*
  - *Pawns can move forward one square at a time.*
  - *unless it is the first move, then they can ...*

# Learning Map Sentences to Meaning

special thanks to

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for more info:

<http://www.cs.washington.edu/homes/lasz/>

